Highly recommended:

Use a notebook or a section in your binder to organize your math notes.

They will be a useful reference for daily work and a valuable study tool for each unit test.

Label each section with the lesson number.



Notes: 1.1

*Sets \cup = union (all terms combined)

 \cap = intersection (common terms only)

endpoint

*Intervals
$$[2,7)^{\text{open}}$$
 $2 \le x < 7$
 $(-3,\infty)$ $-3 < x < \infty$

or $x > -3$

or $x > -3$

*Repeating decimal to fraction

→ add example here from homework

Previously:

Express each repeating decimal as a fraction.

1.1 #77b \rightarrow 0.28

Goal: multiply 20.28888...
by appropriate powers of 10, then subtract and eliminate repeating part and solve for x.

You must show work or no credit!!!

Today's assignment:



1.1 #23-28, 30, 41-43, 47-59odd, 69-72, 75, 77

NO calculator!!
Write problem, show work!

Put work on a sheet of paper that is separate from today's notes.

See book for examples that are similar to the assigned problems:

Assigned problem	See ebook for example	
#23-28	#1 and #2	
#30	#3	
#41-43	#4	
#47-59 odd	#5	
#69-72	#7	
#75	#8	
#77	See intro notes/example for real numbers	

Refer to book for extra examples:

Example 4 Union and Intersection of Sets

If $S = \{1, 2, 3, 4, 5\}$, $T = \{4, 5, 6, 7\}$, and $V = \{6, 7, 8\}$, find the sets $S \cup T$, $S \cap T$, and $S \cap V$.

Solution

$$S \cup T = \{1, 2, 3, 4, 5, 6, 7\}$$
 All elements in S or T

$$S \cap T = \{4, 5\}$$
 Elements common to both S and T

 $S \cap V = \emptyset$ S and V have no element in common

Now Try Exercise 41



Similar to #47-59odd:

Example 5

Graphing Intervals

Express each interval in terms of inequalities, and then graph the interval.

(a)
$$[-1,2) = \{x \mid -1 \le x < 2\}$$

(b)
$$[1.5, 4] = \{x \mid 1.5 \le x \le 4\}$$

(c)
$$(-3, \infty) = \{x \mid -3 < x\}$$

Now Try Exercise 47

Example for #77 can be found under intro notes for "real numbers"

Note

A repeating decimal such as

$$x = 3.5474747...$$

is a rational number. To convert it to a ratio of two integers, we write

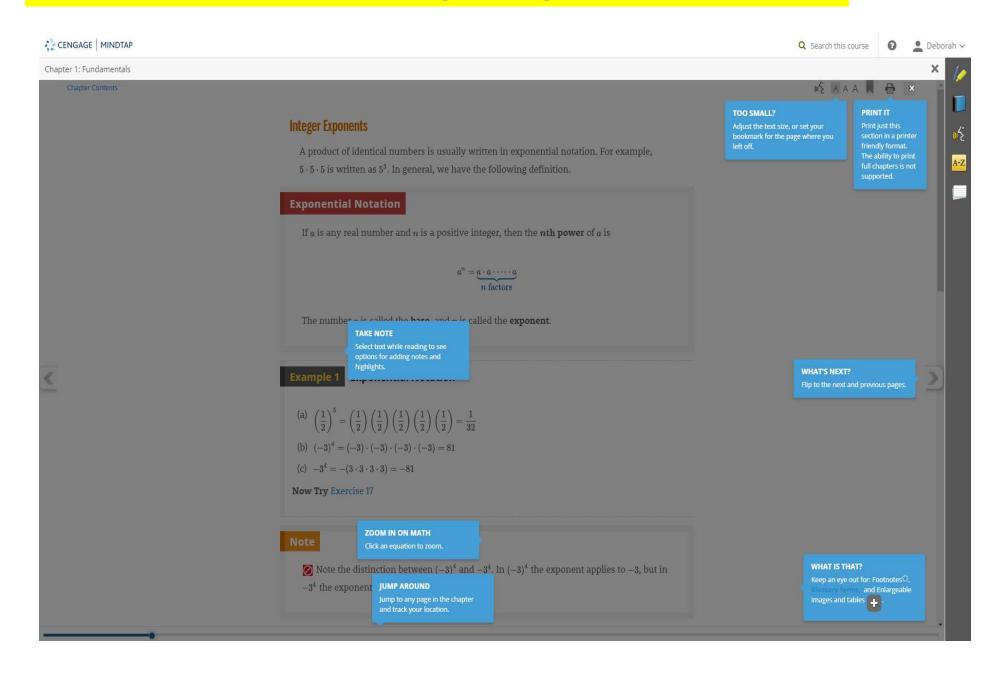
$$1000x = 3547.47474747...$$

$$10x = 35.47474747...$$

$$990x = 3512.0$$

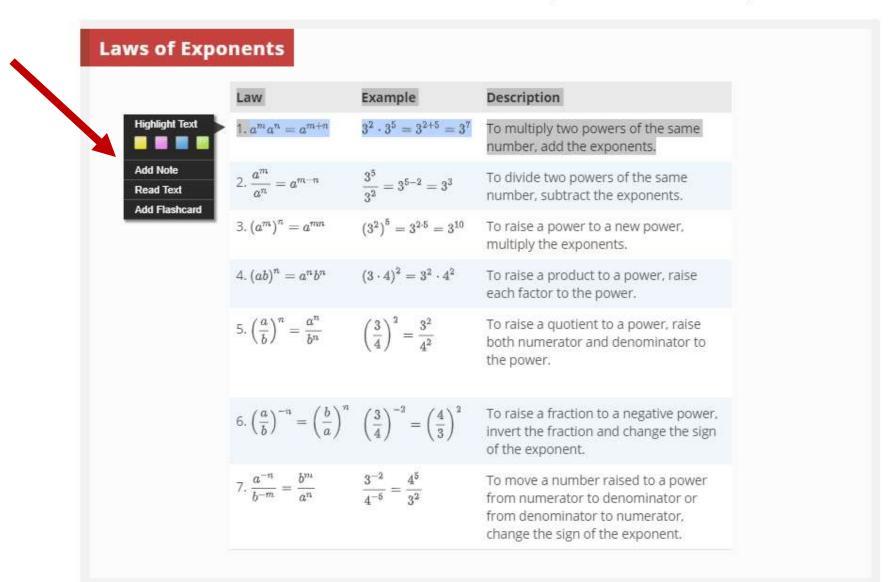
Thus $x=\frac{3512}{990}$. (The idea is to multiply x by appropriate powers of 10 and then subtract to eliminate the repeating part.)

Helpful tips for navigating the ebook:



Helpful tips for navigating the ebook:

Familiarity with the following rules is essential for our work with exponents and bases. In the table the bases a and b are real numbers, and the exponents m and n are integers.



Look for videos with further information and explanations:

Rules for Working with Exponents



Helpful tips for navigating the ebook:

CENGAGE MINDTAP

Chapter 1: Fundamentals

Chapter Contents

1.3 Algebraic Expressions

A **variable** is a letter that can represent any number from a given set of numbers. If we start with variables, such as x, y, and z, and some real numbers and combine them using addition, subtraction, multiplication, division, powers, and roots, we obtain an **algebraic expression**. Here are some examples:

2x2-3x+4x+10y-2zy2+4

A **monomial** is an expression of the form axk, where a is a real number and k is a nonnegative integer. A **binomial** is a sum of two monomials and a **trinomial** is a sum of three monomials. In general, a sum of monomials is called a *polynomial*. For example, the first expression listed above is a polynomial, but the other two are not.

Move to any section of current chapter

Polynomials

A polynomial in the variable x is an expression of the form

anxn+an-1xn-1+···+a1x+a0

where a0,a1,...,an are real numbers, and n is a nonnegative integer. If an ≠0, then the polynomial has **degree** n. The monomials akxk that make up the polynomial are called the **terms** of the polynomial.

Note that the degree of a polynomial is the highest power of the variable that appears in the polynomial.

Polynomial	Туре	Terms	Degree
2x2-3x+4	trinomial	2x2, -3x, 4	2
x8+5x	binomial	x8, 5x	8
	1000	100 met 000 000	

